## Hydrodynamic Processes in the Delta: Some things that might be important and probably are tricky to model

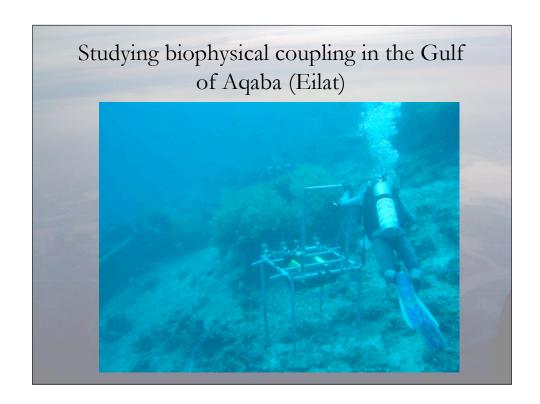
Stephen G. Monismith

#### Collaborators:

Jon Burau, Mark Stacey, Derek Fong, Jim Hench, Nick Nidzieko, Geoff Schladow, Bill Fleenor, Laura Doyle, and Vamsi Sridharan

#### Support:

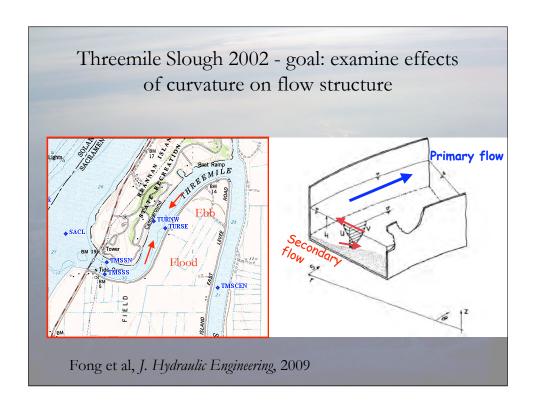
CALFED Science and Ecosystem Restoration Programs, Singapore-Stanford Program

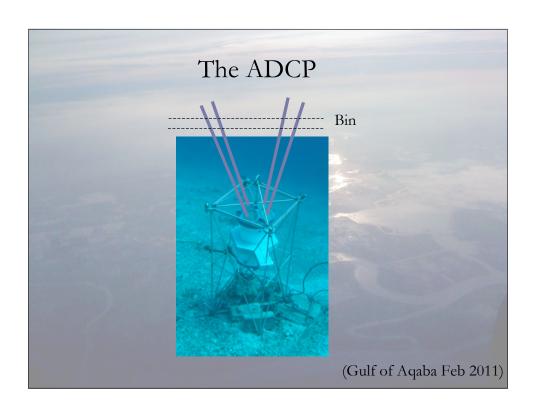


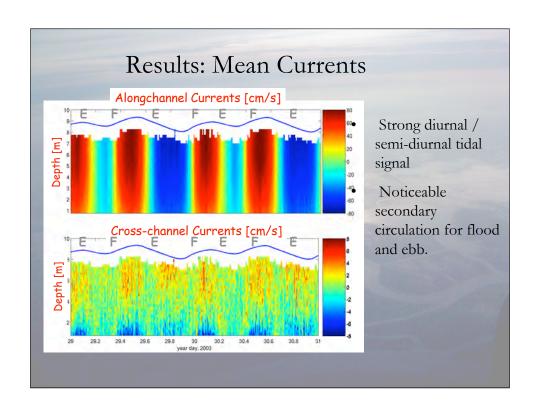
#### Outline

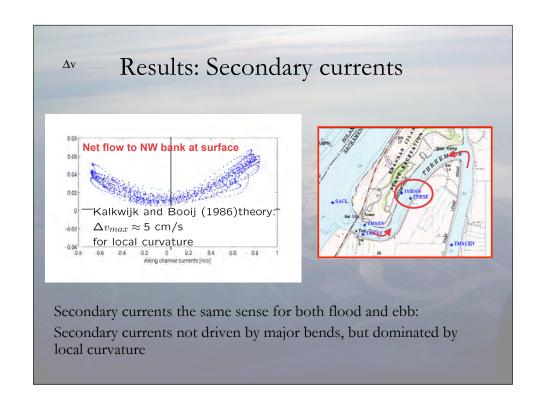
- Bathymetry and roughness: Differential friction in Threemile Slough
- Role of dispersion in setting water temperature: The Stockton Ship Channel
- The effect of diurnal stratification on turbulence: The Stockton Ship Channel
- The effect of channel junctions on particle transport: Modeling with a version of the DSM2-PTM

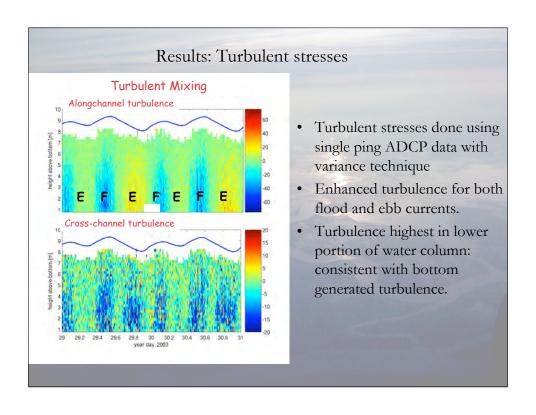


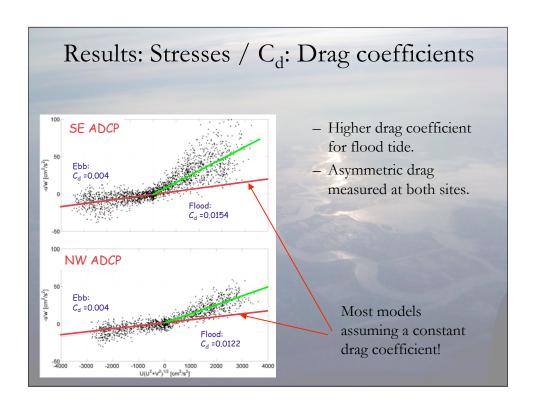






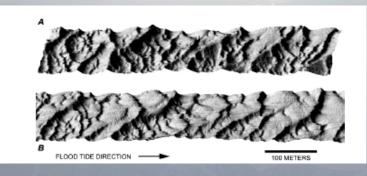






## Results: interpretation / explanation

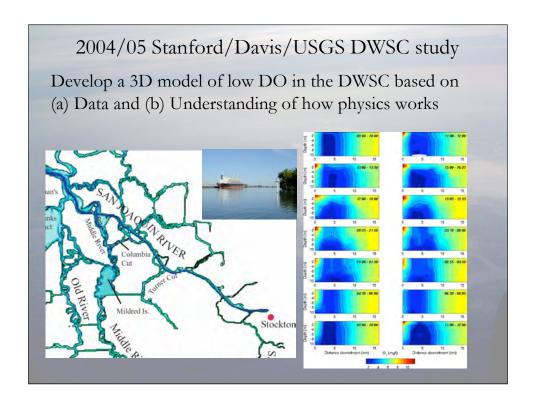
<u>Hypothesis</u>: Bedforms are likely responsible for asymmetric drag. (consistent with streamlining theory)

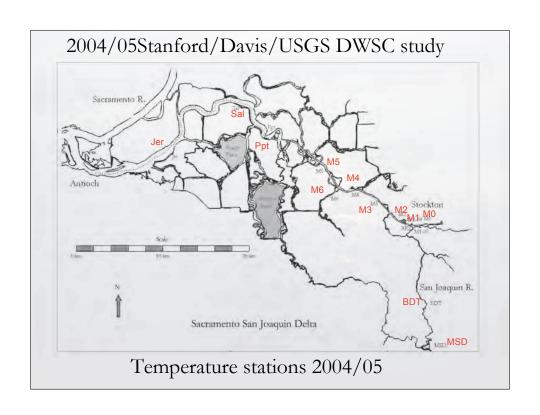


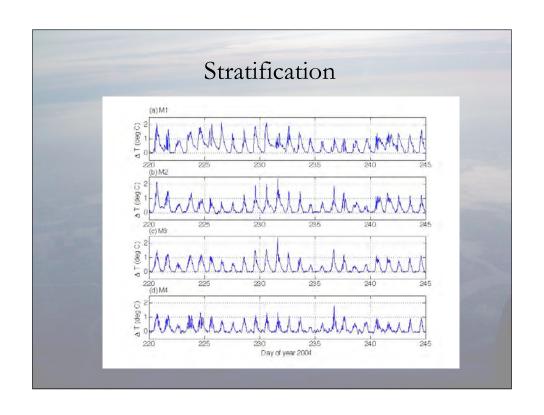
Bedforms in 3MS are 20-30% the total water depth! (Dinehart 2002)

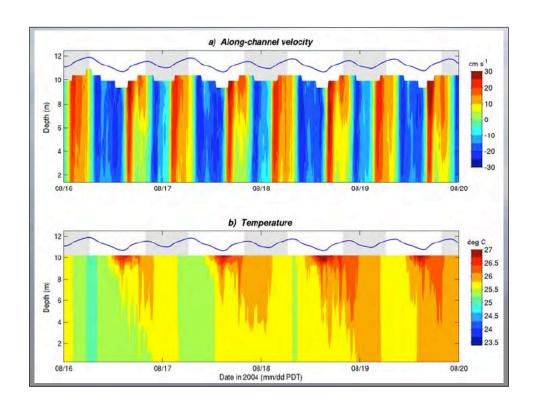
#### Why this might be tricky to model

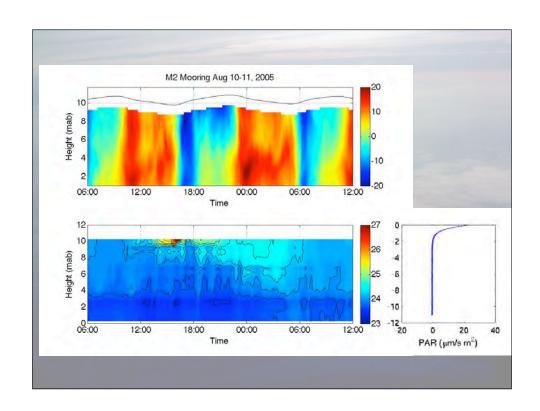
- Direction-dependent drag coefficient is not the norm for 3D models
- Bedforms and hence drag change in time

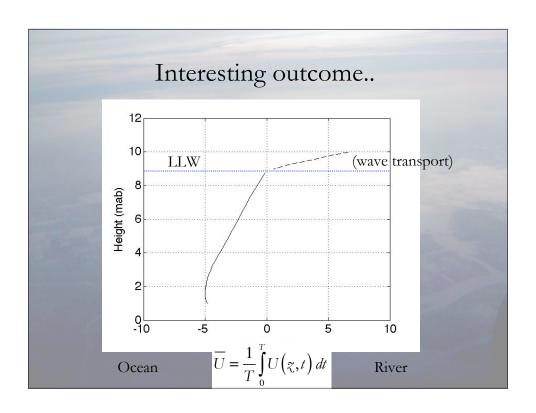


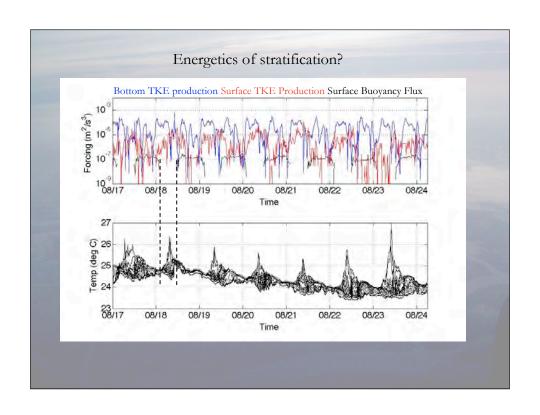


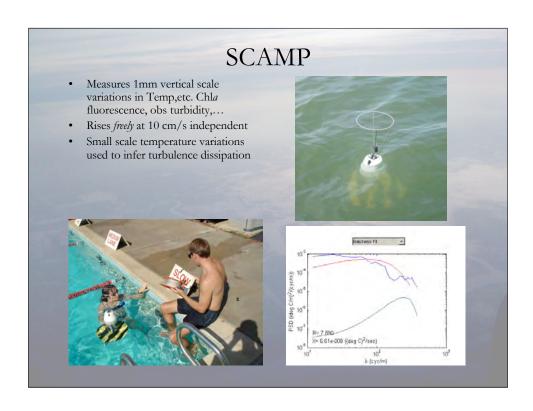


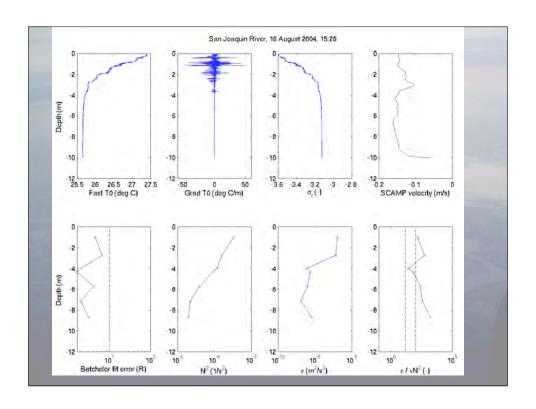


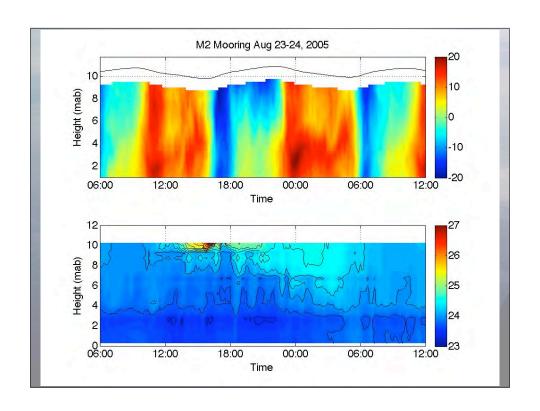


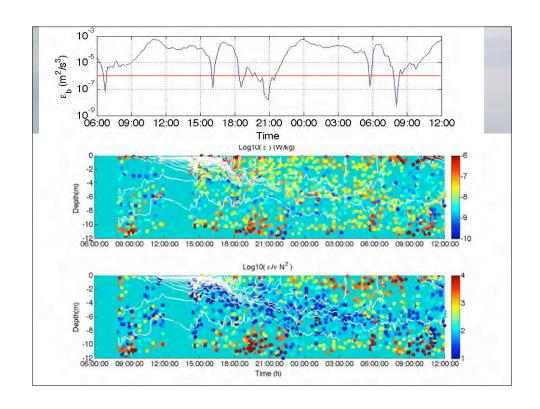


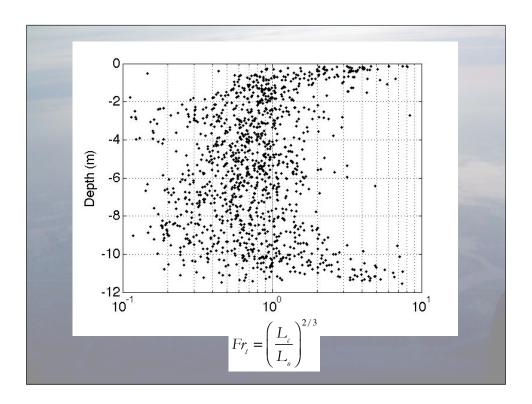


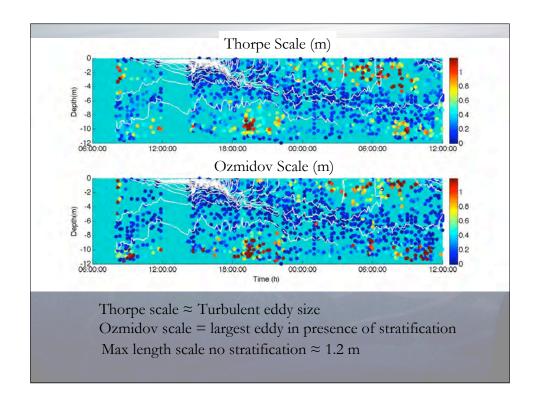


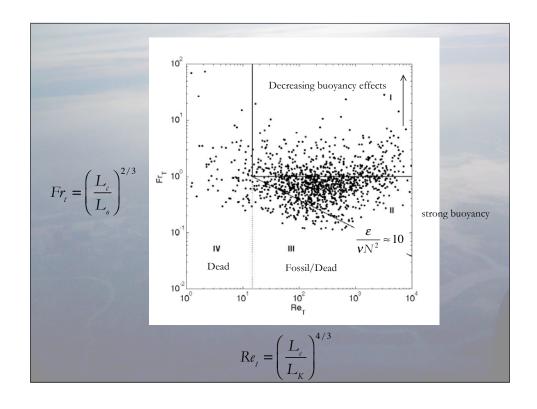


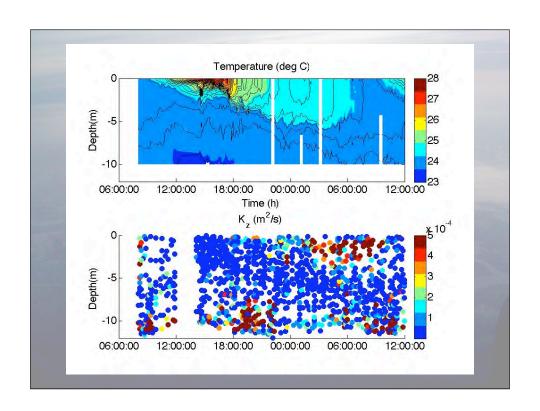










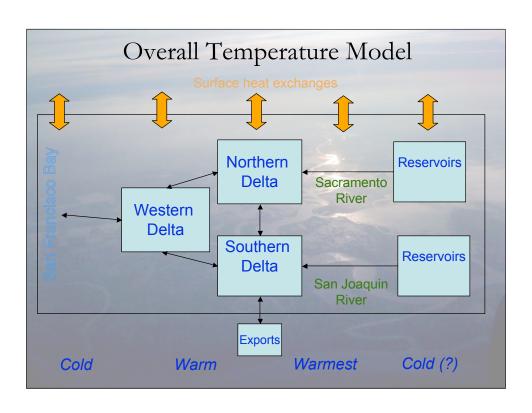


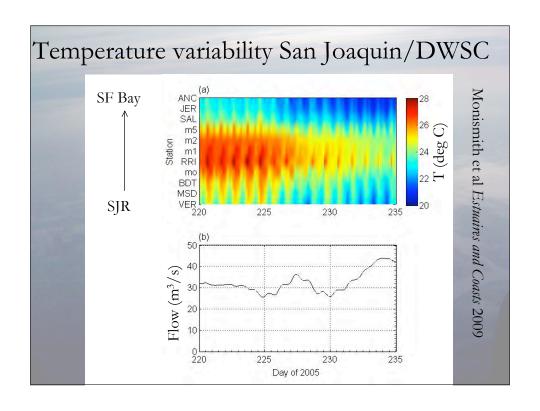
#### Summary

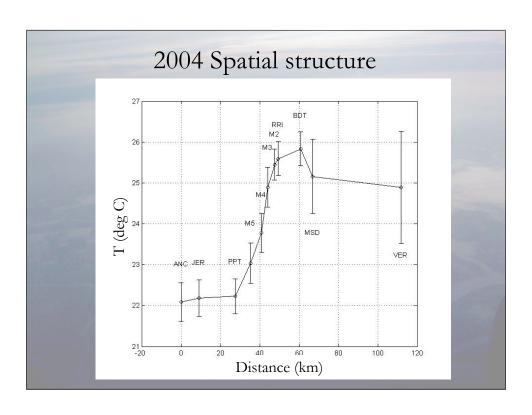
- Even "weak" thermal stratification can have a dramatic effect on vertical mixing
- Much of water column has turbulence controlled by buoyancy
- Phasing of tides and heating leads to sheared residual flow even without baroclinic pressure gradient

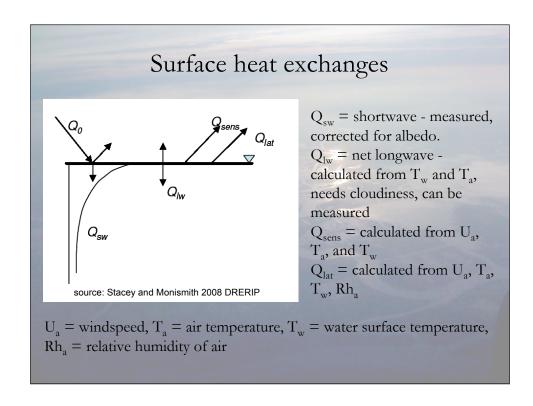
#### Why this might be tricky to model

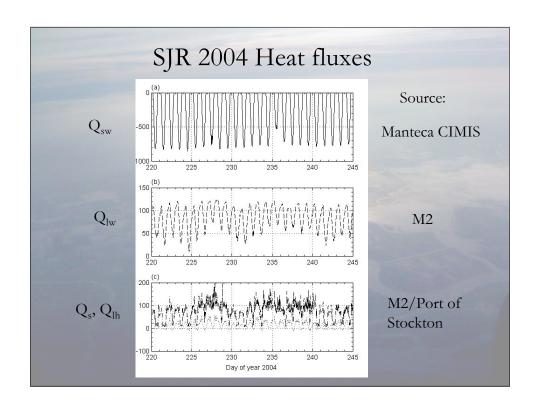
 Stratification effects on turbulence is one of the principal unsolved problems in CFD/Fluid mechanics





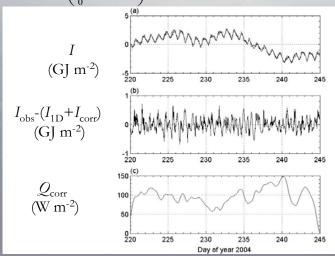






# First law of Thermodynamics applied to a water column in the San Joaquin

$$I = \frac{d}{dt} \left( \int_{0}^{H} \rho c_{p} T dz \right) = -\left( Q_{0} (1 - a) + Q_{lw} + Q_{s} + Q_{lh} \right)$$



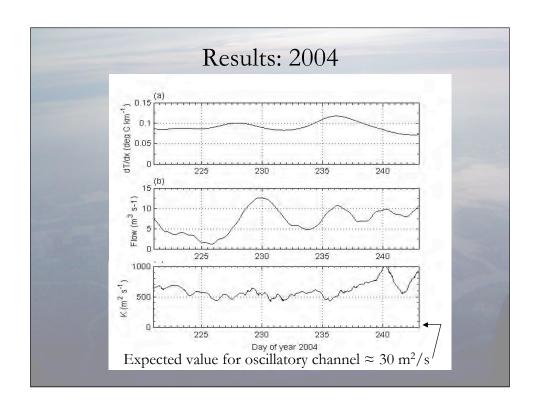
# Correction heat flux calculated as dispersion coefficient

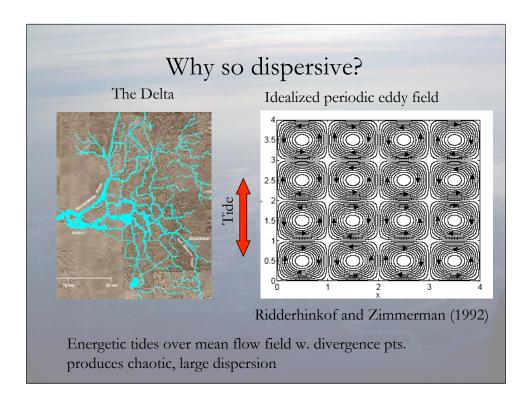
Subtidal model of cross-sectionally averaged temperature including river flow  $Q_f$  and dispersion with dispersion coefficient K

$$A(x)\frac{\partial T}{\partial t} - Q_f \frac{\partial T}{\partial x} + \frac{W \sum Q_{surf}}{\rho c_p} = \frac{\partial}{\partial x} \left( K(x) A(x) \frac{\partial T}{\partial x} \right)$$

Measure/Calculate

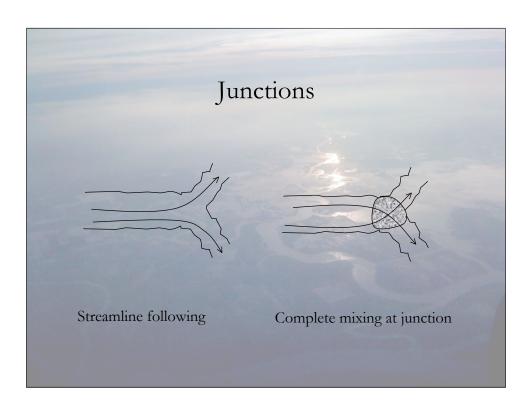
"Correction"

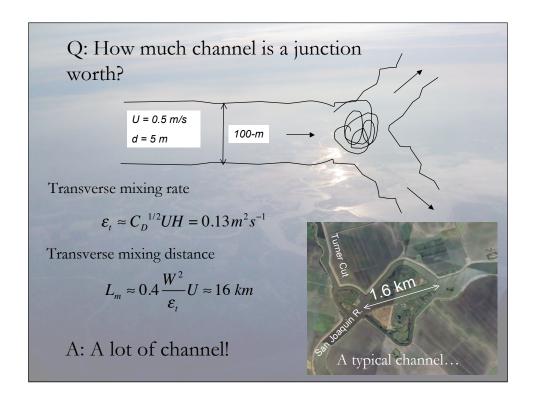




## Why this might be tricky to model

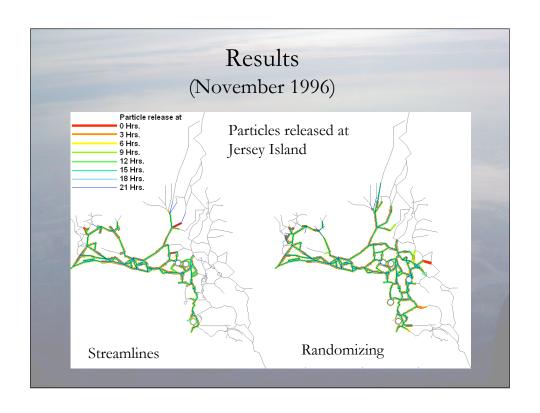
- Large dispersion coefficient probably reflects effects of junctions at scale of whole Delta
- Does this depend on getting junction flows correct?

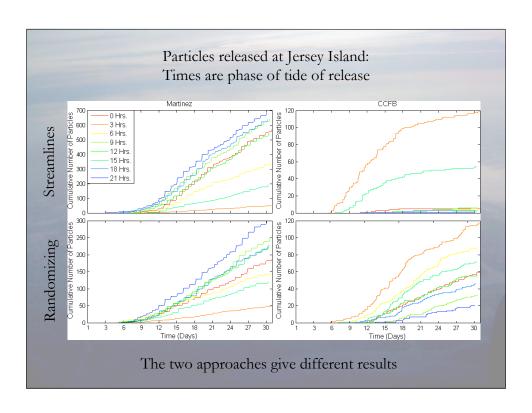




#### Fortran PTM (V. Sridharan)

- DSM PTM coded in Fortran (intended for use with LSU/SFSU Delta Smelt model)
- Differences: Vertically variable mixing, RK4 time advancement, junction behavior
- For 2 channel junctions: no mixing preserve position in channel
- For 3 channel junctions: follow streamlines or complete mixing
- For 4+ channels junctions: We are open to suggestions





### Why this might be tricky to model

- Details of junction flow involve complex 3D circulation, possibly including non-hydrostatic pressures
- Details of secondary flows not done well yet in "normal" 3D models, tough even for high resolution models
- High resolution 3D models are slow

